# How General Are Risk Preferences? Choices under Uncertainty in Different Domains" 

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#### Abstract

We analyze the extent to which individuals' choices over five employerprovided insurance coverage decisions and one $401(k)$ investment decision exhibit systematic patterns, as would be implied by a general utility component of risk preferences. We provide evidence consistent with an important domain-general component that operates across all insurance choices. We find a considerably weaker relationship between one's insurance decisions and $401(k)$ asset allocation, although this relationship appears larger for more "financially sophisticated" individuals. Estimates from a stylized coverage choice model suggest that up to 30 percent of our sample makes choices that may be consistent across all 6 domains. (JEL D12, D14, D81, G22, J33)


Standard models in many fields of economics-most notably macroeconomics, finance, public finance, and labor economics-generally use a canonical model for decisions under uncertainty, in which individuals (or households) have a single, concave utility function over wealth, which gives rise to context-invariant risk preferences. Guided by this assumption, standard practice in these literatures is to use external estimates of risk aversion parameters, drawn from a variety of specific contexts, to calibrate their models. At the other end of the spectrum, there is a large literature in psychology and behavioral economics arguing that there is little, if any,

[^0]commonality in how the same individual makes decisions across different contexts. Where does reality lie relative to these two extremes? Our aim in this paper is to provide new empirical evidence that informs this issue by using unique data on thousands of individuals and analyzing actual decisions that each of them makes regarding financial lotteries in different domains.

Specifically, we examine the workplace-based benefit choices that Alcoa employees make concerning their $401(\mathrm{k})$ asset allocations, their short-term disability insurance, their long-term disability insurance, and their insurance choices regarding health, drug, and dental expenditures. Using these data, we investigate the stability in ranking across contexts of an individual's willingness to bear risk relative to his peers. In other words, we investigate how well an individual's willingness to bear risk (relative to his peers) in one context predicts his willingness to bear risk (relative to his peers) in other contexts.

There are several attractive features of our setting for this purpose. First, all the decisions are solely over the extent of exposure to purely financial risk; this reduces concerns about other possible domain-specific components of preferences, such as an individual's monetary valuation of health or idiosyncratic preferences for a given physician. Second, and relatedly, the nature of the contract options makes the different choices within each domain vertically rankable in terms of risk exposure. As a result, we can use these data to investigate the extent to which an individual's risk aversion relative to his peers in one domain can inform us about his risk aversion relative to those same peers in other contexts. Third, as we shall see, the risk exposure involved in these choices is nontrivial, so that the decisions we observe are economically meaningful. Finally, many of the domains involve expected risks of similar magnitudes, making decisions across contexts more comparable.

Our focus is on quantifying the empirical importance of any individual-specific, domain-general component of preferences rather than on testing the extreme nulls of complete consistency or no consistency in preferences across domains. Neither extreme null strikes us as particularly compelling in practice; reality almost surely lies in between. Perhaps more importantly, as we discuss in more detail below, while it seems possible to plausibly test the null hypothesis that there is no domain-general component to preferences (and we will do so), we argue that it is considerably more challenging (perhaps even impossible) to robustly test the other extreme hypothesis that individuals' decisions are completely consistent across domains. Tests of the latter hypothesis would inevitably consist of a joint test of the null hypothesis of domain-general preferences as well as a set of additional difficult-to-test modeling assumptions.

A key challenge that we face in developing an approach to quantifying the extent of domain generality of preferences is that in our interest to examine the stability of preferences across contexts, we would like to avoid context-specific modeling assumptions that could push us toward one finding or another. A natural way to evaluate the stability of risk preferences across domains would be to write down a model of consumer behavior, use the data and the model to obtain estimates for risk aversion for each individual in each domain, and then compare these estimates. Cohen and Einav (2007) provide a framework for inferring risk aversion from insurance choices, which could be adapted to our various contexts. Their framework also
illustrates, however, that estimating the distribution of risk aversion from individuals' insurance choices involves a number of domain-specific modeling assumptions regarding the nature of ex ante information, expectation formation, the risk realization process, the nature of heterogeneity in risk and risk preferences, the possibility of moral hazard, and the class of utility functions. While these assumptions are not a problem per se, in assessing the extent of domain generalizability of preferences, one would naturally worry greatly about the role of domain-specific modeling assumptions. Given this challenge, in this paper we shy away from specifying a complete model of primitives for each domain. Instead, we pursue two other complementary strategies that allow us to make progress in investigating the motivating question while trying to minimize the need for domain-specific modeling assumptions.

Our first strategy takes a "model-free" statistical perspective. We avoid any economic modeling of primitives and instead focus on the within-person correlation in the ordinal ranking of the riskiness of the choice an individual makes across different domains. In other words, we ask whether individuals who appear to be more willing to bear risk than their peers in one context are also more willing to bear risk in another context. Our results reject the null hypothesis that there is no domain-general component of preferences: individuals' choices across domains are positively correlated. More interestingly, in our view, we develop several benchmarks that help us assess the extent of this domain-general component of preferences, and we find it to be quantitatively quite important. For example, we find that one's choices in other insurance domains have about four times more predictive power for one's choice in a given insurance domain than do a rich set of demographics. We find, however, that the riskiness of one's $401(\mathrm{k})$ portfolio choice has statistically significant but quantitatively much smaller predictive power for one's insurance choices. Interestingly, we also find that the predictive power of one's $401(\mathrm{k})$ portfolio choice for one's insurance choices is systematically greater for individuals who are older, have more experience within the firm, have higher income, or who appear to be more financially sophisticated (as measured by external proxies in the data). This suggests that such individuals may fit better the canonical model.

The advantage of this model-free approach is that it allows us to make inferences that are much more robust to various assumptions. In particular, the approach only requires us to assume that any unobserved individual- and domain-specific components in a given domain are rank preserving; it does not require us, for example, to take a stand on the nature of the utility function or on the way in which individuals form expectations, weigh probabilities, and so on. The drawback of a model-free approach is that the results cannot be mapped directly to underlying economic primitives. While we attempt to develop several benchmarks that may help in assessing whether the correlations we find point to a greater or lesser importance of the domain-general component of preferences, one can reasonably argue that such benchmarks are somewhat ad hoc.

Indeed, our second empirical approach attempts to link our results to underlying economic primitives. In particular, we estimate the fraction of our sample that makes choices across domains that can potentially be rationalized with a common risk aversion parameter. We write down a stylized model, which allows us to use the same (stylized) model across the different domains. This strategy trades off the need for a model-based framework with the concern mentioned above regarding
too many domain-specific modeling assumptions. The key decision in this respect, as in our first strategy, is to focus on comparing the ranking of risk aversion rather than the levels. We do so in our second approach by allowing for a domain-specific (but constant across individuals) parameter, which essentially frees up the level of risk aversion in any context. While this minimizes the number of domain-specific assumptions, it still requires us to make some assumptions that were not needed for our first, model-free approach.

Our baseline results suggest that, subject to a domain-specific (but not individualspecific) free parameter, just over 30 percent of our sample make decisions that could be rationalized across all 6 domains. This result appears robust to a number of variations to our baseline specification. In addition, we once again find evidence suggesting that preferences are less consistent across "less close" domains, particularly between the $401(\mathrm{k})$ asset allocation and the other five, insurance domains.

Overall, we view our findings from the two complementary approaches as generally supportive of a fair amount of domain generality in decision making under uncertainty. We should recall, however, our decision to focus on the stability across contexts in the relative ranking of individuals' risk preferences, rather than the stability of the absolute level of risk aversion. While appealing in reducing the necessary assumptions we need to make, this decision also makes it a more modest test of the canonical model. For example, our findings of a reasonable degree of consistency in individuals' relative ranking of risk preferences across domains does not preclude a rank preserving difference in the entire distribution of willingness to bear risk across domains. In addition, our findings of higher correlation in risk preferences across "closer" contexts suggests that our findings of quantitatively meaningful domain generality may not persist if we looked at more disparate contexts than those studied in this paper. We return to this briefly in the conclusion.

Our study is not alone in its interest in the relative generality of risk preferences across different contexts. Not surprisingly, given its importance, the stability of risk preferences across domains has received considerable attention in the economics literature. ${ }^{1}$ Several studies have addressed the stability of risk preferences by investigating individual responses to financial lotteries across different types of lotteries and over time. Choi et al. (2007) analyze data from a lab experiment in which each subject was confronted with dozens of portfolio choice problems, allowing them to investigate the within-subject consistency of these multiple choices. Andersen et al. (2008a) use survey methods to elicit risk preferences from a random sample of the Danish population, and then repeat the exercise with the same people about a year later, thus allowing them to investigate whether the implied risk preferences have changed. Kimball, Sahm, and Shapiro (2009) use similar methods to elicit risk preferences in the Panel Study of Income Dynamics (PSID) in order to investigate the correlation in risk preferences among family members (parent and child, and among siblings). Cutler and Glaeser (2005) try to address a similar question using data on self-reported behaviors, such as smoking and drinking, rather than

[^1]answers to hypothetical lotteries. The influential paper by Barsky et al. (1997) has combined the two approaches; they analyzed similar hypothetical questions as well as validated the responses to some of these-questions by investigating whether they are correlated with self-reported behaviors. ${ }^{2}$ A recent study by Dohmen et al. (2011) is probably the closest of this literature to our first approach; somewhat similar to Barsky et al. (1997), Dohmen et al. (2011) use a large dataset of survey responses to hypothetical financial lottery questions and validate these responses using selfreported behaviors of a subset of the respondents. Like us, they find an important component of domain-general risk preferences and conclude that although its absolute explanatory power is small, it performs pretty well when compared to other predictors of risk taking.

Our paper differs from this existing literature in several respects. Perhaps most importantly, our study is based on actual market choices. By contrast, many of the existing studies rely on individual responses to hypothetical questions (e.g., Barsky et al. 1997) or to self-reported behaviors (e.g., Cutler and Glaeser 2005). A possible concern with such measures for assessing the domain-generality of an individual's risk preferences is that there may be important individual-specific elements that affect the mapping from self-reported or elicited preferences to actual preferences, which may appear as domain-general preferences. An approach that circumvents many of these concerns is the use of lab experiments with real consequences associated with the choices (e.g., Choi et al. 2007) or field experiments with a representative sample of a population, again involving choices with real (and nontrivial) payoffs (e.g., Andersen et al. 2008a). Nonetheless, as Harrison, List, and Towe (2007) show nicely, mapping choices made in the lab to choices made in naturally occurring settings is not at all straightforward. This distinction makes it important to combine data from inside and outside the lab, either within the same paper, as in Andersen et al. (2008b), or across papers, to which the current study contributes.

We are aware of only one other study of the stability of risk preferences across contexts that uses actual market outcomes. Barseghyan, Prince, and Teitelbaum (2011) and Barseghyan et al. (2011) have recently used data on three similar deductible choices made in the context of auto and homeowner insurance to estimate an individual's risk aversion in each domain, to test whether they can reject the null that risk aversion is completely general across domains, and to explain the deviations they find using a nonexpected utility framework. Our second approach is quite similar to theirs. It differs primarily in its scope-we look at a much broader, and less similar, range of domains-and, relatedly, in its focus and empirical approach. Barseghyan, Prince, and Teitelbaum (2011) focus on testing whether the level of risk aversion displayed in different contexts is completely stable across contexts; they reject the null of fully domain-general risk aversion. By contrast, we focus on quantifying (rather than testing) the extent of domain generality in risk preferences after allowing for a domain-specific free component of risk preferences. Their approach is a more ambitious one but relies on commensurately greater context-specific modeling assumptions, which are less troublesome in their more closely related domains. We therefore view the papers (and their results) as highly complementary.

[^2]Another contribution of our paper-which also applies to the papers by Chabris et al. (2008) and Dohmen et al. (2011) -is our attempt to quantify the magnitude of any domain-general component of preferences by benchmarking it against plausible alternatives. Most of the studies we have discussed generally find some common element in risk taking within an individual across decisions (or behaviors), although for the most part they tend to argue, on mostly subjective grounds, that this common element is "small." One of our findings is that the ostensibly "small" $R^{2}$ s that many prior papers have found may not in fact be as small when compared to relevant benchmarks.

The rest of the paper proceeds as follows. Section I describes our institutional setting and data. Section II presents our model-free approach and correlation results concerning the stability in individuals' relative ranking of risk preferences across contexts. Section III presents estimates from our second, model-based approach regarding the fraction of individuals whose choices may be rationalized across domains. Section IV concludes.

## I. Setting and Data

We analyze the employee benefit choices from 2004 for the United States-based workers at Alcoa, Inc., a large multinational producer of aluminum and aluminumrelated products. In 2004 Alcoa had approximately 45,000 active US employees working at about 300 different plants located in 39 states.
We focus primarily on choices made in 2004, because Alcoa introduced a new set of benefit options in 2004, requiring workers to make new, "active" choices in many of the domains we study. As a result, the problems of inferring preferences from "stale" choices is minimized; this could be particularly concerning if individuals might have made their choices about different benefits at different points in time.

We examine employee choices in six different contexts. These include five insurance coverage decisions (health, prescription drugs, dental, and short-term and long-term disability) and one decision regarding the asset allocation of the employee's $401(\mathrm{k})$ contributions. All insurance choices are made during the "open enrollment" period in November and apply to the subsequent calendar year. The $401(\mathrm{k})$ contributions are made automatically every pay period according to a prespecified choice of investment allocations, which in principle could be adjusted at any given time (although in practice only about one-quarter of the employees in our sample change the allocation of their contributions during a given year). For each choice we observe the menu of options the employee faces (including prices) and the employee's choice from the menu. We also observe detailed demographic information on the employees and detailed information on the realization of risks during the coverage period.

Prices for the benefit options vary across employees for two reasons. First, for the health, drug, and dental domains, employees have a choice of coverage tier; that is, whether to cover themselves only, or to include their spouse, their children, or the entire family. Throughout this paper we take the coverage tier as given, assuming that it is primarily driven by family structure; we show below that our results are not sensitive to controlling for coverage tier. There is also important cross-sectional variation in the prices associated with each of the insurance options
as well as in employer match rates for $401(\mathrm{k})$ contributions, which we will control for in our analysis. ${ }^{\beta}$

Baseline Sample.-Our baseline sample makes a number of restrictions that bring the original 2004 sample of approximately 45,000 active employees down to just under 13,000 employees. First, we restrict our sample to those who were offered the new benefits in 2004; this includes approximately all salaried employees but only about one-half of hourly employees, since the benefits provided to union employees (who are all hourly employees) can only change when the union contract expires (so most union employees experienced the change in benefits only in subsequent years). This brings our sample size down to about 26,000 employees. We further restrict the sample to those for which we observe full data on the options they are offered, the choices made, and (for insurance choices) the ex post realized risk (claims). This precludes, for example, about 8 percent of the individuals who chose to opt out from Alcoa-provided health and drug insurance coverage and about 11 percent of employees who chose Health Maintenance Organization (HMO) coverage. ${ }^{4}$ We also drop about 22 percent of the remaining employees who (because of a choice made by their section manager) are not offered long-term disability insurance, as well as the approximately 20 percent of employees who do not contribute to their $401(\mathrm{k})$ accounts. ${ }^{5}$ In some of our robustness analyses we add back some of these excluded individuals.

Our final baseline sample contains 12,752 employees. Panel A of Table 1 provides demographic characteristics for this sample. The sample is almost three-quarters male and 85 percent white, with an average age of 44 , an average job tenure (within Alcoa) of 13 years, and an average annual salary of $\$ 58,400$. Only about one-third of the sample is hourly employees and virtually none are unionized (due to our requirement that they face the new benefit options in 2004). The average number of covered individuals per employee is 2.9. Panel B of Table 1 provides summary statistics on the annual payouts for each of the six domains. We now describe the options in each domain in more detail.

Description of Coverage Options.-As mentioned, we investigate employees' choices over six different domains. Table 2 summarizes the key features of each domain, with the options enumerated within each domain (as presented in the Alcoa brochures) from the lowest level of coverage (option 1) to the option that offers the

[^3]Table 1—Employee Characteristics in Baseline Sample

|  |  |  | 5th | 95th <br> percentile |
| :--- | :---: | :---: | :---: | ---: |
|  | Mean | SD |  |  |
| percentile |  |  |  |  |

Note: The table is based on the 12,752 employees who constitute our baseline sample.
${ }^{\mathrm{a}}$ The coverage tier and covered individuals are based on the medical coverage choices; we view them as reasonable proxies for family size and structure.
${ }^{\mathrm{b}}$ Conditional on having a short-term disability claim, the average claim length is 51 days.
${ }^{\mathrm{c}}$ Conditional on having a long-term disability claim, the average claim length in our data is 345 . However, the long-term claim data is truncated at about two years, so 345 should be viewed as a lower bound.
most coverage. Online Appendix Tables A1 and A2 provide more detailed information on each benefit option.

The first domain is health insurance, where employees can choose from among five Preferred Provider Organization (PPO) options. ${ }^{6}$ These options vary only in their financial coverage, and (with the exception of option 1) are vertically rankable, ${ }^{7}$ with the deductible level being the key difference. ${ }^{8}$ Option 1 stipulates a high annual deductible of $\$ 3,000$ (for nonsingle coverage), while option 5 stipulates no deductible. Slightly over half of the employees choose the safest option (option 5), about one-quarter choose the second safest option, and about 17 percent choose the least safe option (option 1).

[^4]Table 2-Summary of Benefit Options


Notes: All options are shown in the ordinal ranking from more (option 1) to less risk exposure (with the possible exception of health insurance option 1; see text and online Appendix Tables A1 and A2 for details). Column 1 shows the fraction who chose each option in our baseline sample. Column 2 shows the average (in the baseline sample) premium savings from choosing a given option relative to choosing the safest (least risk exposure) option; these vary across employees based on benefit menu, coverage tier (for health, drug, and dental), and wages (for shortand long-term disability). Columns 3 and 4 show, respectively, the average and standard deviation of the incremental cost that the insurer would face (counterfactually for most of the sample) in covering our baseline sample of employees, given the realized spending and coverage tier choices, with the safest option (i.e., the highest numbered option) relative to the option shown.
${ }^{\text {a }}$ Short-term and long-term disability benefits (columns 3 and 4) and premiums (column 2) are proportional to the employee's wage.
${ }^{\mathrm{b}}$ For $401(\mathrm{k})$, columns 3 and 4 report expected incremental dollar payout (and associated standard deviation) for 0 percent versus 100 percent in risk-free asset (first row) and 50 percent versus 100 percent in risk-free asset (second row) assuming the average annual employee contribution in our baseline sample of $\$ 4,616$. For the risky investment portfolio, we assumed the allocation across different risky funds observed in the baseline sample, and similarly for the risk-free part of the investment portfolio (see Table A2).

The second domain covers prescription drug coverage, and employees are offered 3 options that vary in their cost sharing for branded drugs, from 30 percent to 50 percent cost sharing for retail branded drugs (deductible and coverage of generics are the same across options). Almost two-thirds choose the safest option and one-quarter choose the least safe option.
The third domain is dental coverage, which offers two options that primarily vary in their annual maximum benefit, of $\$ 1,000$ versus $\$ 2,000$. About 70 percent of employees choose the safest option.

The fourth and fifth domains are short- and long-term disability insurance. Short-term disability insurance covers disability-related lost earnings of durations up to six months, while long-term disability insurance covers (less frequent) longer durations. Employees are given a choice of three options for each disability insurance coverage, with the replacement rate varying across options. Unlike the first three domains, the pricing and benefits associated with disability insurance are not given in absolute dollars, but rather are proportional to the employee's annual wage. Thus, the up-front premiums each employee faces vary based on his or her wage, and the benefits are given as "(wage) replacement rates" that are typically 60 percent and 50 percent (for short- and long-term coverage, respectively) for the least coverage option and 100 percent and 70 percent, respectively, for the options that offer most coverage. About two-thirds of the employees choose the highest replacement rate for each option. In each domain, the remaining employees are roughly equally split between the two lower replacement rate options.

The sixth and final domain is the 401(k) asset allocation. As is common in many firms, Alcoa employees are encouraged to contribute every pay period to their 401(k) account, with Alcoa matching such contributions up to 6 percent. In our analysis, we abstract from the employees' decisions as to whether and how much to contribute, but rather focus on how contributing employees choose to allocate their contributions across assets. All employees can allocate their contributions and balances among 13 different funds that are available to them, and in principle are allowed to continuously adjust these allocations (although they infrequently do so; for example, only one-quarter of our sample changes its asset allocation during 2004). The funds vary in their riskiness (see online Appendix Table A2). To simplify the analysis, we focus on the employees' decisions as to what fraction of their contributions they allocate to the two risk-free funds during 2004. ${ }^{9}$ About two-fifths of employees allocate none of these contributions to the risk-free funds, and about 17 percent of employees allocate all of their contributions to the risk-free funds.

Although describing the options and outcomes in each domain is useful, our understanding of the choices is perhaps best guided by the incremental trade-offs associated with each choice. Columns 2 through 4 of Table 2 provide two (rough) attempts to quantify the relative risk exposure associated with the different choices within a domain. Column 2 does this by reporting the average incremental premium saving in the sample from choosing a given option relative to the least-risk-exposure option. Columns 3 and 4 report, respectively, the expected and standard deviation of the incremental costs that the employee would face (counterfactually for most of the sample) with the option shown relative to the safest option, if he were to be randomly drawn from our baseline sample. These incremental costs are calculated based on the coverage details and the distribution of realized claims. ${ }^{10}$ The most

[^5]interesting point we take away from Table 2 is that the incremental decisions across each domain are quite comparable in their expected magnitude, with incremental (annual) premiums (and associated benefits) ranging from several hundred to a few thousand dollars. Of course, the overall magnitudes of the underlying risks can vary vastly (e.g., between long-term disability and dental), but the incremental cover-age-which is the key for the coverage choice-is of a much more similar magnitude across domains.

Attractions of Our Setting.-The data and setting offer several key attractive features for investigating the extent to which individuals display a common ranking in their risk aversion relative to their peers across domains. First, within all domains, the differences across different choices are purely in the amount of financial risk exposure. They do not involve, for example, differences in access restrictions to health care providers or different service quality by asset fund managers. Such differences would have introduced additional domain-specific elements of the choices that would make interpretation of the results more difficult. Relatedly, since the choices within a domain differ only in the amount of financial risk exposure, they can each be collapsed to a unidimensional vertical ranking of the amount of financial risk one is exposed to in different choices. This makes it relatively straightforward to assess how much more likely it is for individuals who assume more versus less risk compared to their peers in one domain to assume more versus less risk in another domain compared to their peers.

Second, as shown in columns 3 and 4 of Table 2, all of the domains are plausibly valuable and sensible insurance from an economic standpoint. That is, they all represent potentially large expenditures with real ex ante uncertainty to the individual. For example, the coefficient of variation of incremental costs (computed based on columns 3 and 4) is always greater than one-third, and mostly greater than one. This is a much more appealing setting for studying the extent to which choices across domains display a common risk aversion component than looking at settings in which it is unclear why individuals are buying insurance in the first instance, such as insurance for internal wiring protection (as in, e.g., Cicchetti and Dubin 1994) and other types of "insurance" products that cover against very small losses, which Rabin and Thaler (2001) argue is where people are perhaps most likely to depart from the canonical model of decision under uncertainty.

Third, as discussed earlier (and shown in Table 2, columns 2 and 3), the choices within a domain are over similarly sized risks.

Fourth, many of the benefit options are entirely new in 2004, and the old options were no longer available. This means that for these benefit options we are looking at decisions made at the same time period and do not have to worry about "stale" decisions in some domains reflecting a combination of inertia and outdated risk preferences. ${ }^{[1]}$ Specifically, the health, drug and dental options were all completely new-the old options were no longer available in these domains-while the

[^6]disability options remained the same but their prices changed; the $401(\mathrm{k})$ options did not change. ${ }^{12}$ As a further check against the possibility of "stale" decisions (particularly for $401(\mathrm{k})$ allocations and potentially disability choices), we show in our robustness analysis that results look similar when restricted to a sample of new hires, for whom decisions in all six domains had to be made recently.

Fifth, and relatedly, with the exception of the $401(\mathrm{k})$ asset allocation decisions, the nature of the employee benefit selections eliminates many potential domainspecific elements of the choice; all the insurance benefits are presented in the same format (all on the same benefit worksheet) and must be chosen during the same open enrollment period. Thus, we do not have to worry, for example, about time-varying events, differential effort, or ability of insurance agents, etc.

Sixth, there is some interesting variation across the six domains in the "closeness" of the domains. In particular, it seems that some domains (such as short- and longterm disability insurance) are quite similar while others (such as health insurance and $401(\mathrm{k})$ decisions) are more different. Therefore, it is interesting to see if the extent of correlation in choices within an individual across domains varies by their relative "closeness." Of course, the range spanned by our choices is much narrower than the full set of decisions under uncertainty that individuals make; in the end of the paper we discuss some of the challenges in extending the study to a broader range of domains.

Finally, but very importantly, the data are extremely clean and complete. We observe all the details of the choice set, the choice made, the setting in which the choice is made, a measure of risk occurrence, and relatively rich demographic information.

## II. A "Model Free" Approach

## A. Empirical Strategy

Given our interest in the extent to which individuals' ranking in their risk aversion relative to their peers displays a common component across domains, a natural empirical approach is to examine the rank correlation in individual's choices from among the (vertically ranked) options in each domain. We thus begin by reporting pairwise Spearman rank correlations across domains. A disadvantage to this approach, however, is that it does not readily lend itself to controlling for potentially important covariates, nor does it lend itself as easily to a construction of comparative benchmarks with which to gauge the relative importance of the domain-general component of risk preferences that we detect.

[^7]We therefore also examine the correlation structure of the error terms from a system of six equations of the form:

$$
\left[\begin{array}{l}
\text { choice }_{i}^{\text {Health }}  \tag{1}\\
\text { choice }_{i}^{\text {Drug }} \\
\text { choice }_{i}^{\text {Dental }} \\
\text { choice }_{i}^{S T D} \\
\text { choice }_{i}^{\text {LTD }} \\
\text { choice }_{i}^{401(k)}
\end{array}\right]=\left[\begin{array}{l}
\beta^{\text {Health }} \\
\beta^{\text {Drug }} \\
\beta^{\text {Dental }} \\
\beta^{S T D} \\
\beta^{L T D} \\
\beta^{401(k)}
\end{array}\right] \cdot \mathbf{x}_{i}+\left[\begin{array}{l}
\varepsilon_{i}^{\text {Health }} \\
\varepsilon_{i}^{\text {Drug }} \\
\varepsilon_{i}^{\text {Dental }} \\
\varepsilon_{i}^{S T D} \\
\varepsilon_{L T D}^{i} \\
\varepsilon_{i}^{401(k)}
\end{array}\right],
$$

where $\mathbf{x}_{i}$ is a vector of control variables (which is the same in all equations in the system of equations), $\beta$ is a vector of domain-specific coefficients, and the main object of interest is the correlation matrix of the residuals.

We estimate this system in two separate ways. We first treat each equation as an ordered probit specification (except the $401(\mathrm{k})$ equation, which is treated as a regular equation with a continuous dependent variable): that is, we assume that the six residuals are drawn from a multivariate normal distribution, and that the dependent variable is a latent domain-specific variable that maps a one-dimensional index into a discrete ordered coverage choice. ${ }^{[13}$ This specification treats properly the ordinal nature of the choices, but has the disadvantage that it does not lend itself to a natural $R^{2}$ measure, which we use later to compare the predictive power of different variables. We therefore also estimate the system of equations above using multivariate least squares, by enumerating the choices from 1 to $n$ in each domain (as in Table 2), and assigning them a cardinal interpretation despite their ordinal nature. This specification does not require us to assume that the errors are distributed normally and, more importantly, makes it natural to use $R^{2}$ to compare results across different specifications. As we report below, the correlation results that we obtain from the three specifications-the rank correlation, the system of ordered probits, and the multivariate regression analysis-are all very similar.

Because standard theory models insurance choices as driven by risk and risk aversion, it is essential to control for risk if one wants to make inferences about risk aversion. The baseline set of control variables $\left(\mathbf{x}_{i}\right)$ we include in the ordered probit and multivariate least squares specifications are dummy variables for the menu of benefits the employee faced (described above). We also explore the sensitivity of our results to the inclusion of additional controls (in all six equations) that proxy for individual risk in each of the five insurance domains. We attempt to control for two components of risk: the first is risk that can be predicted using observables, and the second is an individual-specific risk component, which is idiosyncratic to the individual.

To proxy for the predictable component of risk, we use two measures. The first measure is based on a statistical model of realized risk in each domain on a flexible functional form of our observables; we generate and then use as controls the model

[^8]predictions. ${ }^{14}$ A second measure of predictable (health) risk is based on software that predicts future medical spending on the basis of previous years' detailed medical diagnoses and claims, as well as demographics. ${ }^{[15}$ To proxy for the idiosyncratic component of risk we use the realization of that risk in the subsequent coverage period. That is, if individual risk is realized from an individual-specific distribution, conditional on observable risk, the realization of risk can be used as a (noisy) proxy for the underlying ex ante individual-specific risk type. The identification arguments in Cohen and Einav (2007) and in Einav, Finkelstein, and Schrimpf (2010) use a similar idea. Finally, to allow for correlation in both observed and unobserved heterogeneity in risk across domains, we include controls for all our proxies in all the insurance domains. That is, each equation includes 11 control variables, containing predicted and realized risk in each of the 5 insurance domains, as well as the software-generated prediction of health risk.

## B. Results

Table 3A presents the baseline correlation results, when we do not use additional control variables (except for benefit menu fixed effects in panels B and C). Panel A shows the full set of Spearman rank correlation coefficients between each pair of domains. It also reports (at the bottom) the simple average of the fifteen correlations as a single summary measure. Panel B shows the estimated correlation from the system of ordered probit specifications (and a single $401(\mathrm{k})$ linear equation), and panel C shows the correlations from the baseline multivariate regression described above. In general, we can (easily) reject the null hypothesis of a correlation of zero.

By rejecting the null hypothesis of a correlation of zero, we can reject the null of no domain-general component of choice. Viewed alternatively, we find that one's coverage choice in every other domain has some predictive power for his or her choice in a given domain. Although the finding that risk preferences are correlated across domains may be viewed as hardly surprising, from the perspective of the canonical model, it is encouraging to find this positive correlation so robustly across a broad range of contexts.

This test of the admittedly not very compelling null of no domain-general component of choices is subject to the important caveat that nonpreference factors may introduce correlations across domains. In the case of insurance, a natural suspect is potential correlation in underlying (unpriced) risk across the insurance domains. Such an issue does not arise in the context of the correlation between $401(\mathrm{k})$ portfolio

[^9]Table 3A-Correlation Estimates, without Controls

|  | Health | Drug | Dental | STD |
| :--- | :---: | :---: | :---: | :---: |
| Panel A. Spearman rank correlations |  |  | LTD |  |
| Drug | 0.400 |  |  |  |
| Dental | 0.242 | 0.275 |  |  |
| STD | 0.226 | 0.210 | 0.179 |  |
| LTD | 0.180 | 0.199 | 0.173 | 0.593 |
| 401 $(\mathrm{k})$ | 0.057 | 0.061 | 0.036 | 0.029 |
|  |  |  |  | $(0.002)$ |
| Average correlation is 0.192 |  |  |  |  |


| Panel B. Correlation estimates from | system of ordered probits |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Drug | 0.550 |  |  |  |  |
| Dental | 0.339 | 0.410 |  |  |  |
| STD | 0.292 | 0.303 | 0.271 | 0.768 |  |
| LTD | 0.243 | 0.298 | 0.266 | 0.032 | 0.020 |
| 401(k) | 0.055 | 0.071 | 0.046 | $(0.004)$ | $(0.069)$ |

Average correlation is 0.264

| Panel C. Correlation estimates from | a multivariate regression |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Drug | 0.452 |  |  |  |  |
| Dental | 0.238 | 0.267 |  |  |  |
| STD | 0.188 | 0.197 | 0.169 | 0.600 |  |
| LTD | 0.155 | 0.191 | 0.165 | 0.029 | 0.018 |
| 401(k) | 0.057 | 0.056 | 0.035 | $(0.001)$ | $(0.042)$ |

Average correlation is 0.188
Notes: The table reports results for our baseline sample of 12,752 employees. Unless reported otherwise in parentheses, the p-values associated with whether the correlation coefficient is different from zero are all less than 0.001 . Each cell reports a pairwise correlation. The average correlation is simply the average of the 15 pairwise correlations shown, and is provided only as a single summary number. Panel A reports Spearman rank correlations. Panel B shows results from a system of five ordered probits and one linear regression for the $401(\mathrm{k})$ domain (see text for more details). Panel C reports the correlation structure from the multivariate regression shown in equation (1). Both panel B and panel C include control (indicator) variables for the benefit menu the employee faces; for panel B, we exclude all menus that were offered to fewer than 100 people, reducing the sample size by 86 employees.
allocation and choices in an insurance domain, making this perhaps the most compelling context to test the null of complete domain specificity.

To try to address the concern about underlying risk correlations across insurance domains, Table 3B reports the analogous results after we add control variables (as explained earlier) for both predicted and realized risk in all domains in each equation. Panel A reports results from the specification of a system of ordered probits and panel B for the multivariate regression. ${ }^{16}$ The results, again, are very similar across the two specifications, and quite remarkably the magnitude of the correlations generally remains almost the same as in Table 3A, with only a slight decline (the decline is to be expected, given that the risks are positively correlated across domains). While predicted and realized risk do not control perfectly for one's ex ante risk expectations, the small effect that these controls have on the correlation pattern suggests that these correlations are more likely to capture correlation in underlying risk preferences. This is also consistent with recent results, in the context of fully specified

[^10]Table 3B—Correlation Estimates, Controlling for Predictors of Risks

|  | Health | Drug | Dental | STD | LTD |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Panel A. Correlation estimates from a system of ordered probits |  |  |  |  |  |
| Drug | 0.494 |  |  |  |  |
| Dental | 0.302 | 0.409 |  |  |  |
| STD | 0.249 | 0.245 | 0.258 |  |  |
| LTD | 0.210 | 0.250 | 0.255 | 0.764 |  |
| 401(k) | 0.036 | 0.043 | 0.037 | $\begin{gathered} -0.005 \\ (0.64) \end{gathered}$ | $\begin{gathered} -0.006 \\ (0.72) \end{gathered}$ |
| Average correlation is 0.234 |  |  |  |  |  |
| Panel B. Correlation estimates from a multivariate regression |  |  |  |  |  |
| Drug | 0.411 |  |  |  |  |
| Dental | 0.208 | 0.250 |  |  |  |
| STD | 0.155 | 0.156 | 0.156 |  |  |
| LTD | 0.130 | 0.157 | 0.153 | 0.593 |  |
| 401(k) | 0.038 | 0.032 | 0.026 | $\begin{gathered} 0.002 \\ (0.32) \end{gathered}$ | $\begin{gathered} -0.002 \\ (0.56) \end{gathered}$ |
| Average | s 0.164 |  |  |  |  |

Notes: The table reports results for our baseline sample of 12,752 employees. Panels A and B are analogous to panels B and C in Table 3A, respectively. The results reported in this table include an additional 11 control variables for predicted and realized risk in each equation. These attempt to control for heterogeneous risk expectations across individuals, which may be correlated across domains. See the text (Section IIA) for additional details. As in Table 3A, both panels include also control (indicator) variables for the benefit menu the employee faces; for panel A, we exclude all menus that were offered to fewer than 100 people, reducing the sample size by 86 employees. Because some of the regressors in these regressions are estimated in a previous stage, we use bootstrap to compute standard errors. The reported (nonzero) $p$-values are the fraction of the estimates that are negative for each correlation parameter (using 25 bootstrap samples).
economic models, that heterogeneity in risk preferences plays a much greater role than heterogeneity in risks in explaining the heterogeneity in insurance coverage choices (Cohen and Einav 2007; Barseghyan, Prince, and Teitelbaum 2011).

Across all panels of Table 3A and Table 3B we see that the average pairwise correlation is 0.16 to 0.26 . Perhaps not surprisingly, there is a pronounced pattern of substantially higher correlation coefficients between pairs that are more "similar." For example, in panel B of Table 3A, the correlation between drug and health coverage choices is 0.55 and the correlation between long- and short-term disability insurance choices is 0.77 . By contrast, health insurance and short-term disability insurance show only a 0.29 correlation and the lowest pairwise correlations are between the share of risk-free assets in one's $401(\mathrm{k})$ portfolio and any of the insurance coverage choices (all of which are 0.07 or less). Of course, it is not clear how informative this finding is since comparisons of correlations between different pairs are difficult to interpret due, for example, to differences in the discreteness and pricing of the relative options in each domain.

We also examine how the correlation in choices varies across different identifiable groups. Table 4A and Table 4B present the main results for the ordered probit and multivariate specifications, respectively. Specifically, the results show selected correlations for different pairs of groups of employees. While many pairwise correlations seem to be quite similar across groups, the most striking pattern in Table 4 is in column 5, which shows a consistent pattern that individuals whom one might ex ante classify as likely to make better financial decisions tend to have noticeably

Table 4A—Summary Correlations by Groups, Ordered Probit Specification

|  |  | Observations <br> (1) | Average correlation <br> (2) | Health-Drug correlation <br> (3) | Health-STD correlation <br> (4) | Health-401(k) correlation (5) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| (1) | Single coverage | 2,420 | 0.309 | 0.643 | 0.379 | 0.082 |
|  | Nonsingle | 10,246 | 0.251 | 0.517 | 0.267 | 0.052 |
| (2) | More tenured | 11,641 | 0.262 | 0.547 | 0.287 | 0.058 |
|  | Newly hired | 1,025 | 0.269 | 0.569 | 0.289 | 0.012 |
| (3) | Higher wage | 3,145 | 0.240 | 0.524 | 0.198 | 0.078 |
|  | Lower wage | 3,126 | 0.246 | 0.534 | 0.336 | 0.029 |
| (4) | Don't allocate to Alcoa Stock | 7,241 | 0.272 | 0.548 | 0.300 | 0.066 |
|  | Allocate to Alcoa stock | 5,245 | 0.252 | 0.552 | 0.277 | 0.036 |
| (5) | Rebalance 401(k) portfolio | 3,610 | 0.261 | 0.551 | 0.264 | 0.080 |
|  | Don't rebalance | 9,056 | 0.266 | 0.551 | 0.302 | 0.047 |
| (6) | Over 55 years old | 1,690 | 0.248 | 0.595 | 0.251 | 0.062 |
|  | Under 35 years old | 2,550 | 0.276 | 0.539 | 0.326 | 0.032 |
| (7) | Salaried employees | 8,594 | 0.256 | 0.541 | 0.256 | 0.068 |
|  | Hourly employees | 4,072 | 0.247 | 0.542 | 0.326 | 0.014 |

Notes: The table reports the correlation coefficients for the subsamples specified in the row headers. The estimates all use panel B of Table 3A as a baseline. That is, we report the correlation structure of the residuals from estimating the system of ordered probit equations (with a single linear equation for $401(\mathrm{k})$ choice), with covariates for benefit menu fixed effects. The average correlation in column 2 is the simple average across the 15 possible pairs of correlations (as in the bottom of each panel of Tables 3A and 3B), while the other columns report the pairwise correlations for the selected pairs shown in the column headings. Row 1 divides the sample by single-coverage tier for health and drug versus all other (nonsingle) coverage tiers. Row 2 separates out newly hired employees (defined as less than two years of tenure) from higher-tenured employees. Row 3 separately examines employees with greater than $\$ 72,000$ annual wages and less than $\$ 36,000$ annual wages (approximately the top and bottom quartiles of wages). Row 4 separates employees who did and did not allocate their own $401(\mathrm{k})$ contributions to Alcoa stock. Row 5 separates employees who did (at least once) and did not rebalance their $401(\mathrm{k})$ portfolio during the year.

Table 4B—Summary Correlations by Groups, Multivariate Regression

|  |  | Observations <br> (1) | Average correlation (2) | Health-Drug correlation (3) | Health-STD correlation <br> (4) | Health-401(k) correlation (5) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| (1) | Single coverage | 2,441 | 0.224 | 0.532 | 0.252 | 0.074 |
|  | Nonsingle | 10,311 | 0.176 | 0.421 | 0.167 | 0.055 |
| (2) | More tenured | 11,708 | 0.185 | 0.448 | 0.184 | 0.059 |
|  | Newly hired | 1,044 | 0.195 | 0.472 | 0.184 | 0.023 |
| (3) | Higher wage | 3,151 | 0.178 | 0.425 | 0.146 | 0.072 |
|  | Lower wage | 3,173 | 0.162 | 0.439 | 0.174 | 0.026 |
| (4) | Don't allocate to Alcoa Stock | 7,468 | 0.193 | 0.448 | 0.195 | 0.073 |
|  | Allocate to Alcoa stock | 5,284 | 0.180 | 0.456 | 0.176 | 0.033 |
| (5) | Rebalance 401(k) portfolio | 3,626 | 0.186 | 0.430 | 0.178 | 0.079 |
|  | Don't rebalance | 9,126 | 0.188 | 0.460 | 0.190 | 0.049 |
| (6) | Over 55 years old | 1,700 | 0.167 | 0.446 | 0.147 | 0.061 |
|  | Under 35 years old | 2,568 | 0.199 | 0.447 | 0.209 | 0.031 |
| (7) | Salaried employees | 8,644 | 0.187 | 0.442 | 0.175 | 0.069 |
|  | Hourly employees | 4,108 | 0.157 | 0.453 | 0.170 | 0.016 |

Note: The table fully parallels Table 4A, except that it uses the residuals from estimating the multivariate regression specification (panel C of Table 3A), as shown in equation (1), as a baseline.
higher correlations between health insurance choices and $401(\mathrm{k})$ decisions. This is true for older individuals relative to younger individuals, for individuals with longer tenure with Alcoa (who perhaps understand the "system" better), individuals with higher wages, and individuals who tend to avoid what economists often view as
unsophisticated financial behavior, such as not rebalancing the portfolio regularly. A similar pattern is observed across these groups in the correlations between other insurance choices and the $401(\mathrm{k})$ decisions (not shown in the table in the interest of space).

One way to interpret these findings is that while the correlation between insurance and $401(\mathrm{k})$ investment choices is low in the overall sample, we find a greater degree of domain-general risk aversion once we focus on individuals who exhibit more "financial literacy," or at least seem to pay more attention to their investment decisions. An alternative, plausible interpretation is that these results suggest less error in risk perceptions or in the mapping from "true" underlying risk preferences to choices, for individuals who appear to be more "financially literate"; such an interpretation could suggest that the correlation results underestimate the importance of the domain-general component of risk preferences in the full sample. This latter interpretation is consistent with a growing body of empirical work suggesting that the propensity to succumb to psychological biases or to make mistakes in financial planning is higher for individuals of lower cognitive ability (Benjamin, Brown, and Shapiro forthcoming) and for individuals of lower financial literacy or planning propensity (Ameriks, Caplin, and Leahy 2003; Lusardi and Mitchell 2007). Either interpretation suggests that one might want to exercise more caution in using specific revealed preference estimates to calibrate risk aversion levels in economic models, when they are applied to less sophisticated populations.

## C. Robustness

We explored the robustness of our main correlation results (Table 3A, panels B and C) to various alternative specifications and samples. Tables 5 and 6 summarize the results of these analyses. As in Table 4, in the interest of space, we do not report every pairwise correlation, but instead report the average correlation and the correlations of selected pairs. We explore two main types of sensitivity analysis: alternative specifications and alternative samples. Unless otherwise specified, each row represents a single change relative to the baseline specification. Overall, the results seem to be quite robust to the alternative exercises we explore.

Alternative Specifications and Sample Definitions.-Table 3A already showed that the Spearman rank correlations, the correlations estimates that are based on the system of ordered probits, and the linear multivariate regression all lead to similar results. Table 3B has also shown that the results are not affected much by the inclusion of a large set of controls for risk. Row 1 of the two panels of Table 5 replicates the baseline results (Table 3A, panels B and C, respectively), and the rest of the rows in the table examine additional plausible concerns.

Row 2 examines a concern that perhaps the reason that the $401(\mathrm{k})$ choice is less correlated with all other insurance choices is driven by the fact that all insurance choices are discrete and ordinal, while the $401(\mathrm{k})$ choice is continuous and has a cardinal interpretation. To investigate this further, we discretize the 401(k) asset allocation decision and turn it into an ordinal measure, so it is more similar in nature to the other choices. We do so by taking the (continuous) measure of the percentage of employee contributions allocated to the safe funds, and convert it to a discrete

Table 5-Robustness I: Alternative Specifications and Samples Definitions

|  |  | Observations <br> (1) | Average correlation (2) | Health-Drug correlation (3) | Health-STD correlation (4) | Health-401(k) correlation (5) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Panel A. A system of ordered probits |  |  |  |  |  |  |
|  | Baseline specification | 12,666 | 0.264 | 0.55 | 0.292 | 0.055 |
|  | Discretizing the 401(k) choice | 12,666 | 0.260 | 0.550 | 0.292 | 0.050 |
|  | Control for coverage tier | 12,666 | 0.264 | 0.546 | 0.292 | 0.056 |
|  | Use only the largest pricing menu | 7,722 | 0.268 | 0.552 | 0.277 | 0.067 |
|  | Include those in opt-out and HMO | 15,399 | $0.230^{\text {a }}$ | - | - | - |
|  | Include employees who did not contribute to 401(k) | 15,344 | $0.368^{\text {b }}$ | 0.540 | 0.295 | - |
| 7 | Include those not offered LTD coverage | 15,570 | $0.230^{\text {c }}$ | 0.540 | 0.292 | 0.052 |
|  | Exclude those in Health Option 1 (due to HRA component) | 10,473 | 0.223 | 0.317 | 0.280 | 0.009 |
|  | Include only new hires | 1,025 | 0.269 | 0.569 | 0.289 | 0.012 |
|  | Exclude individuals who may have chosen default options | 11,243 | 0.279 | 0.627 | 0.328 | 0.067 |
| Panel B. Multivariate regressions |  |  |  |  |  |  |
|  | Baseline specification | 12,752 | 0.188 | 0.452 | 0.188 | 0.057 |
|  | Discretizing the 401(k) choice | 12,752 | 0.184 | 0.452 | 0.188 | 0.045 |
|  | Control for coverage tier | 12,752 | 0.186 | 0.447 | 0.187 | 0.058 |
|  | Use only the largest pricing menu | 7,722 | 0.195 | 0.452 | 0.191 | 0.069 |
|  | Include those in opt-out and HMO | 15,409 | $0.165^{\text {a }}$ | - | - | - |
|  | Include employees who did not contribute to 401 (k) | 15,402 | $0.257^{\text {b }}$ | 0.446 | 0.184 | - |
|  | Include those not offered LTD coverage | 15,675 | $0.162^{\text {c }}$ | 0.442 | 0.183 | 0.052 |
|  | Exclude those in Health Option 1 (due to HRA component) | 10,547 | 0.147 | 0.226 | 0.175 | 0.009 |
|  | Include only new hires | 1,044 | 0.195 | 0.472 | 0.184 | 0.023 |
|  | Exclude individuals who may have chosen default options | 11,323 | 0.191 | 0.460 | 0.197 | 0.059 |

Notes: This table reports correlation results for variants of the baseline specification. Analogously to Table 3A, panels B and C respectively, panel A uses the system of ordered probits and panel B uses multivariate regressions. Column 2 shows the simple average of the 15 pairwise correlations, and columns 3 through 5 report correlations for specific pairs. For ease of comparison, row 1 replicates the baseline specification from Table 3A. Each row shows a single deviation from the baseline specification. Row 2 replaces the continuous $401(\mathrm{k})$ measure with a discretized ordinal measure ranging from 1 to 3 , row 3 includes coverage tier (based on health coverage) fixed effects, and row 4 reports results using the largest (modal) benefit menu (and therefore does not require menu fixed effects). Rows 5-10 report results from alternative samples. In rows 5, 6 , and 7 we include employees that were excluded from the baseline sample, and in these cases we omit the domain that had disqualified these employees from the baseline sample. Therefore, the average correlations in these cases are not directly comparable to the baseline specification, although the individual pairs are. In row 9 we limit the sample to new hires (defined as job tenure at Alcoa of less than two years). In row 10 we exclude the approximately 10 percent of the employees whose choices are fully consistent with the default options in all insurance domains, and are therefore potentially "passive" choosers.
${ }^{\text {a }}$ The comparable average correlation (that is, over the six pairs that do not include health and drug coverage) in the baseline specification is 0.234 (panel A) and 0.169 (panel B).
${ }^{\mathrm{b}}$ The analogous average correlation (that is, over the ten pairs that do not include $401(\mathrm{k})$ choices) in the baseline specification is $0.374($ panel A) and $0.262($ panel B).
${ }^{\text {c }}$ The analogous average correlation (that is, over the ten pairs that do not include long-term disability coverage) in the baseline specification is 0.237 (panel A) and 0.169 (panel B).
integer between 1 to 3 , with 1 corresponding to investing nothing in the safe funds, 2 corresponding to investing something but not everything in the safe funds, and 3 corresponding to investing everything in the safe funds.

In row 3 we investigate the sensitivity of our results to including indicator variables for the (four) coverage tiers (single coverage, employee plus spouse, employee plus children, and family coverage), and in row 4 we investigate concerns about whether our benefit menu fixed effects fully capture differences in choices due to prices by limiting the sample to those who faced the prices in the single largest benefit menu (about 60 percent of our baseline sample).

The rest of the rows in Table 5 explore the sensitivity of our baseline specification to alternative sample definitions. In rows 5 through 7 we add back in various employees who were excluded from the baseline sample. In row 5 we include those employees who opted out of the health insurance and drug insurance plans, or who chose an HMO for these plans. In row 6 we include employees who did not contribute to their $401(\mathrm{k})$ plan in 2004, and in row 7 we include those employees who were not offered long-term disability insurance. In each case, we omit from the analysis the affected domains (health and drug in row 5, 401(k) in row 6, and long-term disability in row 7). As a result, comparison of the average correlation to that in the baseline may be misleading, but the pairwise ones are still informative, and we also report the comparable average correlation in the baseline specification.

In row 8 we exclude from our analysis individuals who chose health insurance option 1, the lowest coverage option. As mentioned in Section I, this option is bundled with a Health Retirement Account component, so it is not fully vertically rankable. In row 9 we limit the sample to the slightly under 10 percent of the sample who were new hires in 2004. As discussed earlier, a primary motivation for this analysis is to see if $401(\mathrm{k})$ contribution allocations are more correlated with insurance choices when the $401(\mathrm{k})$ choice (like the insurance choice) must be a new and "active" decision. In practice, there is no evidence that differences in timing of the decision is driving down the correlation between $401(\mathrm{k})$ asset allocation and insurance coverage. Finally, in row 10 we exclude the roughly 11 percent of the individuals who might have been "passive" choosers, given that all their coverage decisions in the insurance domains were consistent with the default options.

Outside Insurance and Investment Choices.-A fundamental feature of our analysis is that while we have good data on individuals' decisions and outcomes within Alcoa, naturally we have very little information about any other of the individuals' insurance and investment portfolios, which are external to Alcoa. Thus, we may be missing important pieces of the overall insurance coverage for a particular risk, or the overall wealth portfolio. On the insurance front we are relatively sanguine. Given the generosity of Alcoa benefits relative to anything a spousal employer might provide, as well as the well-known problems with private markets (that are not employer-provided) for these insurance products, we think it is a reasonable approximation to assume that there is little non-Alcoa insurance purchase. NonAlcoa investments are a potentially important concern, however. To try to shed light on how important this may be for our results, we undertake two types of exercises.

First, to try to proxy for outside investments, we construct measures of the individual employee's housing wealth and then repeat our analysis by stratifying on housing wealth, so that we are comparing choices among individuals with relatively similar outside housing wealth. Of course, this strategy does not address other financial and nonfinancial wealth in the employee's portfolio. In practice, however, the

Table 6-Robustness II: Non-Alcoa Investments

|  |  | Observations <br> (1) | Average correlation (2) | Health-Drug correlation <br> (3) | Health-STD correlation (4) | Health401(k) correlation (5) | Drug-401(k) correlation (6) | Dental401(k) correlation (7) | STD-401(k) correlation <br> (8) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Panel A. A system of ordered probits |  |  |  |  |  |  |  |  |  |
| 1 | Baseline specification | 12,666 | 0.264 | 0.55 | 0.292 | 0.055 | 0.071 | 0.046 | 0.032 |
| 2 | Housing subsample | 4,278 | 0.271 | 0.541 | 0.298 | 0.049 | 0.088 | 0.055 | 0.009 |
| 3 | House equity $<\$ 50,000$ | 1,362 | 0.282 | 0.502 | 0.343 | 0.027 | 0.087 | 0.091 | 0.005 |
| 4 | Housing equity \$50,000-\$150,000 | $0^{1,523}$ | 0.282 | 0.592 | 0.306 | 0.058 | 0.074 | 0.001 | 0.018 |
| 5 | Housing equity $>\$ 150,000$ | 1,355 | 0.253 | 0.514 | 0.239 | 0.065 | 0.104 | 0.081 | 0.019 |
| 6 | Maxed out 401(k) contributions | 1,731 | 0.288 | 0.608 | 0.305 | 0.114 | 0.071 | 0.036 | 0.011 |
| 7 | $\begin{aligned} & \text { Did not max out } \\ & 401(\mathrm{k}) \\ & \text { contributions } \end{aligned}$ | 10,935 | 0.258 | 0.539 | 0.285 | 0.044 | 0.070 | 0.046 | 0.032 |
| Panel B. Multivariate regressions |  |  |  |  |  |  |  |  |  |
| 1 | Baseline specification | 12,752 | 0.188 | 0.452 | 0.188 | 0.057 | 0.056 | 0.035 | 0.029 |
| 2 | Housing subsample | 4,309 | 0.195 | 0.441 | 0.203 | 0.051 | 0.070 | 0.041 | 0.016 |
| 3 | House equity $<\$ 50,000$ | 1,399 | 0.202 | 0.410 | 0.229 | 0.042 | 0.075 | 0.072 | 0.016 |
| 4 | Housing equity \$50,000-\$150,000 | 1,544 | 0.199 | 0.488 | 0.211 | 0.049 | 0.052 | 0.000 | 0.013 |
| 5 | $\begin{gathered} \text { Housing equity } \\ >\$ 150,000 \end{gathered}$ | 1,366 | 0.184 | 0.417 | 0.167 | 0.066 | 0.083 | 0.061 | 0.022 |
| 6 | Maxed out 401(k) contributions | 1,740 | 0.212 | 0.499 | 0.225 | 0.089 | 0.049 | 0.030 | 0.016 |
| 7 | $\begin{aligned} & \text { Did not max out } \\ & 401(\mathrm{k}) \\ & \text { contributions } \end{aligned}$ | 11,012 | 0.181 | 0.441 | 0.176 | 0.050 | 0.056 | 0.034 | 0.029 |

Notes: This table reports correlation results for various subsamples. Analogously to Table 3A, panels B and C respectively, panel A uses the system of ordered probits and panel B uses multivariate regressions. Column 2 shows the simple average of the 15 pairwise correlations, and columns 3 through 8 report correlations for specific pairs. For ease of comparison, row 1 replicates the baseline specification from Table 3A. Row 2 presents the results for approximately one-third of the sample for which we were able to match data on their housing equity. Rows 3 through 5 present results for various subsamples of this "housing subsample," as indicated. Rows 6 and 7 present results separately for individuals who have maxed out their possible $401(\mathrm{k})$ contributions and those who have not.
retirement component is large relative to other financial assets for individuals with retirement financial wealth, and housing wealth is a very large share of nonfinancial wealth for such individuals (Bucks, Kennickell, and Moore 2006). Therefore, controlling for housing wealth is likely a first-order improvement in trying to address the non-Alcoa portfolio composition. To obtain data on housing, we matched the home addresses of our Alcoa employees to public records containing information on their home values and their equity stakes in their houses; we were able to link about one-third of our sample. ${ }^{17}$

[^11]The results are shown in Table 6. Once again, we report estimates for the average correlation, the health-drug correlation, the health-short term disability correlation, and the health-401(k) correlation. Because this exercise may be particularly relevant for the sensitivity of the relationship between $401(\mathrm{k})$ choices and insurance choices, however, we also report some of the $401(\mathrm{k})$-insurance product correlations. The first row shows results for the full sample, while the second row shows results for the sample for whom we were able to link in housing data ("housing subsample"). Rows $3-5$ show results stratified (in roughly equally sized bins) by housing equity: less than $\$ 50,000, \$ 50,000$ to $\$ 150,000$, and above $\$ 150,000$. The results are not overly sensitive to this stratification. In particular, the basic pattern of much larger correlations among insurance choices than correlation between $401(\mathrm{k})$ portfolio allocation and insurance choices remains. The correlations are also extremely similar across employees with different equity levels or equity shares. For example, the health insurance $401(\mathrm{k})$ correlation is always lower than 0.07 for all across equity levels, while the correlation between health and drug coverage choices is always above 0.4. There does not seem to be any consistent pattern of a monotone relationship between housing equity and the magnitude of the various correlation coefficients.

Second, we tried to define a sample of employees who are less likely to have substantial non-401(k) financial investments by restricting the sample to employees who do not max out their possible $401(\mathrm{k})$ contributions; because of the favorable tax treatment of $401(\mathrm{k})$ investments, it seems plausible that individuals who are not saving as much as possible in tax-preferred vehicles may have less outside savings than those who are. We therefore divide the sample into the approximately 14 percent who have contributed the maximum allowable amount to their $401(\mathrm{k})$ and the remainder who have not maxed out their allowable $401(\mathrm{k})$ contributions. The bottom two rows of Table 6 show that the results are broadly similar for the two groups. For example, the correlation between $401(\mathrm{k})$ portfolio allocation and insurance choice is slightly higher for those who have maxed out their $401(\mathrm{k})$ contributions for health insurance but slightly lower for the other four types of insurance. The general pattern of much larger correlations among insurance choices than between 401(k) portfolio allocation and insurance choices remains for both groups.

While of course these tests are limited in their nature, it is nonetheless reassuring to find that the results suggest that our inability to control for the entire wealth portfolio is unlikely to be having a large impact on the correlations we examine.

## D. Benchmarks

As noted at the outset, our primary interest is in developing reasonable benchmarks against which one can try to assess whether the correlation in the ordinal ranking of the riskiness of one's choices across domains suggests a quantitatively large or small domain-general component of risk preferences. Comparing the estimated correlations to the benchmark correlation of one does not provide a meaningful assessment of the extent of domain generality of preferences, or a test of the null of complete domain generality of preferences. We would not expect a rank correlation of one even if preferences were fully domain-general.

For example, even if risk preferences are fully domain general, any discreteness and nonlinearity in the function that maps risk aversion to choices would make

Table 7-Predictive Power of Different Variables

| Regressors | Dependent variable |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Health | Drug | Dental | STD | LTD | $401(\mathrm{k})$ |
| Choices in other domains | 0.227 | 0.243 | 0.102 | 0.374 | 0.368 | 0.004 |
| Predicted and realized risk | 0.070 | 0.107 | 0.056 | 0.043 | 0.023 | 0.024 |
| Demographics | 0.037 | 0.044 | 0.025 | 0.039 | 0.033 | 0.043 |
| Choices in less related domains | 0.082 | 0.102 | 0.077 | 0.063 | 0.054 | 0.004 |
| All of the above | 0.247 | 0.292 | 0.144 | 0.394 | 0.378 | 0.046 |

Notes: Each entry in the table reports the adjusted $R^{2}$ from a separate ordinary least squares regression of the dependent variable shown in the column heading. In all regressions, the dependent variable is the enumerated coverage choice in the domain given by the column header, after partialing out benefit menu fixed effects. The regressors are given by the row header. "Choices in other domains" contain the vector of the enumerated choices in all five other domains. "Predicted and realized risk" refers to a vector of both predicted and realized risks in all domains (see Section IIA for more details). "Choices in less related domains" omits the other choice which is most correlated with the dependent variable (Drug in Health and Health in Drug, Drug in Dental, LTD in STD and STD in LTD, Health in $401(\mathrm{k})$ ). Demographics consist of age, age squared, dummy variables for gender, race, and employee type (hourly or salary), job tenure in Alcoa, annual wage, and a dummy for single coverage tier (as a proxy for family composition).
the correlation estimates lower, potentially by a substantial amount. To illustrate this with a concrete example, suppose we observe $N$ individuals making choices in two domains ( $j$ and $k$ ), each of which offers two discrete choices, with choice 1 exposing the individual to more risk than choice 2 . Even if preferences are fully domain-general, it is possible that due to the different pricing of options in the two domains, in domain $j$ the lowest risk aversion individual chooses option 1 while all $N-1$ other individuals choose option 2, while in domain $k$ the highest risk aversion individual chooses option 2 and all $N-1$ other individuals choose option 1 . While this allocation is consistent with an underlying model of fully domain-general preferences, the correlation of choices across the two domains will approach zero as $N$ gets sufficiently large.

In addition, in a fully domain-general model with a single utility function over wealth, insurance decisions are interrelated, and one essentially chooses a portfolio of insurance positions. In other words, risk exposure in one domain may affect (with ex ante ambiguous sign) one's willingness to bear risk in another (even independent) domain (Gollier and Pratt 1996; Guiso, Jappelli, and Terlizzese 1996). This "background risk" problem introduces yet another reason why fully domain-general preferences need not produce a rank correlation of one across domains.

Our first exercise that may allow us to start assessing whether the correlation estimates we report are large or small is to compare the predictive power of choices in other domains to the predictive power of demographic covariates. Table 7 reports these results. For each domain, it reports the adjusted $R^{2}$ from a multivariate regression of the (ordinal) coverage choice in this domain on different subsets of covariates. All regressions are done on the residual coverage choice (after partialing out the menu fixed effects). As one can see, the explanatory power (measured by the adjusted $R^{2}$ ) of the choices in other domains (row 1 ) is much greater for predicting one's insurance choice in a different domain than the predictive power of one's risk type (row 2), or one's detailed demographics (row 3). For example, the predictive power of choices in other domains is at least four times greater than the predictive power of demographics in predicting
the choice in a given insurance domain. Even when we limit the choices in other domains to exclude the most related coverage choice (row 4), the predictive power of the remaining choices is at least 1.5 times higher than that of demographics for the choice in a given insurance domain. The case of $401(\mathrm{k})$ is a noted exception to this pattern. The explanatory power of the insurance choices (row 1) is an order of magnitude lower than that of demographics. This is not a particularly surprising pattern, given the relative "distance" between $401(\mathrm{k})$ and all the other choices, as well as potential differences in the timing (or framing) of the decision, and potential age-based preferences for the (longer-horizon) 401(k) investments, which may make age a particularly important factor in $401(\mathrm{k})$ decisions.

A second exercise is to compare the correlation within person in choices across domains at a point in time to the correlation within person in choices in a given domain over time. Here again we can take advantage of the new benefit design that Alcoa introduced in 2004, and compute the correlation for health insurance choices between 2003 and 2004. In the "old" benefit design (of 2003), individuals could choose from among three different coverage options (compared to five in the new design), with variation in out-of-pocket maximum being binding and important. These three options were also vertically rankable from least to most coverage, just like other domains in 2004, thus providing a similar structure, and a comparable benchmark. In the multivariate regression, the correlation we find between health insurance choices (of the same employee) in 2003 and 2004 is 0.198 . This is similar to (or smaller than) the multivariate correlation estimates across insurance domains reported in Table 3A, panel C, which range from 0.16 to $0.60 .{ }^{18}$

Our general conclusion from these benchmarks is that, contrary to our prior expectations, the reported average correlations of $0.16-0.26$ are in fact quite high, and suggestive of an important domain-general component of risk preferences. To more specifically quantify the extent of domain generality of preferences requires that we link our results to underlying economic primitives. This in turn requires to move from a statistical model to an economic model, which is the focus of the next section.

## III. A (Stylized) Model-Based Approach

We considered two (related) approaches to try to relate the statistical correlation in individuals' choices across domains to underlying economic primitives, namely coefficients of risk aversion. One approach would be to start with a fully specified model of coverage choice, assume a benefit menu similar to the one observed in the data, and assume full domain generality by imposing a common risk aversion parameter within an individual across domains. We could then simulate what the correlation coefficient between the implied coverage choices in different domains would be under this assumption of full domain generality, and compare it to what we have observed. This would allow us to obtain some benchmarks for the correlation coefficients between choices generated by a model with fully domain-general

[^12]risk preferences, but subject to the nonlinearities and discreteness that arise because of the structure of the insurance options and the decision process. We report in the online Appendix such an exercise, which is applied to two of the domains: shortterm and long-term disability insurance.

One concern with this exercise is that it makes many (strong) assumptions about the form of the utility function, about the expectations individuals have regarding their risks, and about the calibrated values of additional parameters such as the discount rate, the (common) distribution of risk aversion across individuals, and the nature of the risk realization processes. A second, more important concern is that the exercise reported in the online Appendix uses only two specific domains. Although, in principle, such an exercise could also be extended to additional domains, it is no coincidence that we chose two of the most similar domains for this exercise, so that the models for coverage choice were also quite similar.

To extend the exercise to other domains and investigate robustness, we choose instead to pursue a second approach, which is in some sense the mirror image of what we have just described. Instead of starting with a fully domain-general model and asking what it would imply for the data, we start instead with the data and ask, in the context of a given, stylized model of coverage choice, what fraction of our sample's choices can be rationalized with a single (individual-specific) risk aversion coefficient. Our modeling approach is guided by a desire to reduce-although we cannot of course eliminate-domain-specific modeling assumptions. We therefore write down a stylized model of coverage choice that is stripped of many domainspecific details. This framework allows us to estimate the same generic model of primitives across the different contexts, which are quite different from each other. As we shall see, a key decision in this respect is to follow the spirit of our first "model free" approach by focusing on the (narrower) question of comparing the consistency of individuals' ranking of risk aversion relative to their peers across contexts, rather than the consistency of individuals' level of risk aversion across contexts.

## A. A Model

Consider a domain $d$ and an individual $i$. We assume that choices are generated by expected utility maximizers who have a domain-invariant vNM utility function over wealth, $u_{i}(w)$. Faced with a set of coverage options $J_{d}$ in each domain, individuals then evaluate their expected utility from each option $j \in J_{d}$, denoted by $v_{i j}^{d}$, by

$$
\begin{equation*}
v_{i j}^{d}=E_{\tilde{c}}\left[u_{i}\left(w_{i}-\lambda_{d} \operatorname{oop}_{j}(\tilde{c})-p_{j}\right)\right], \tag{2}
\end{equation*}
$$

where expectations are taken over the cost realization $\tilde{c}$. In addition, $w_{i}$ is a measure of income or wealth, $\operatorname{oop}_{j}(\tilde{c})$ captures the out-of-pocket expenditure that is associated with a cost realization of $\tilde{c}$ under coverage $j$, and $p_{j}$ denotes the premium associated with coverage option $j$. The parameter $\lambda_{d}$, which varies across domains but not across individuals, captures context-specific beliefs (or other biases). That is, $\lambda_{d}=1$ can be thought of as correct expectations, while $\lambda_{d}<1\left(\lambda_{d}>1\right)$ implies biased expectations about risk, which are too optimistic (pessimistic). In the context of the model, $\lambda_{d}$ enters as biased beliefs, which could be driven by framing effects or probability weighting. More generally, however, one can think of $\lambda_{d}$ as
a "reduced form" way by which we capture a variety of potential domain-specific effects. That is, all else equal, higher (lower) values of $\lambda_{d}$ require lower (higher) levels of risk aversion to rationalize a given choice, thus providing a free parameter in each domain that captures the level of risk aversion.
To evaluate the expectations for each individual, we make a strong simplifying assumption and abstract from unebservables that may affect ex ante risk (we explore observable differences later), ${ }^{19}$ and assume that individuals' risk realization is drawn randomly from the risk realizations of other indiyiduals who are associated with the same group (e.g., based on demographics). ${ }^{20}$ That is, if individual $i$ is associated with group $N$ so that $i \in N$, we evaluate individual $i$ 's expectations by

$$
\begin{equation*}
E_{\tilde{c}}\left[u_{i}\left(w_{i}-\lambda_{d} \operatorname{oop}_{j}(\tilde{c})-p_{j}\right)\right]=\frac{1}{|N|} \sum_{k \in N} u_{i}\left(w_{i}-\lambda_{d} \operatorname{oop}_{j}\left(c_{k}\right)-p_{j}\right) \tag{3}
\end{equation*}
$$

Equipped with this model, we can then assume a specific parametric utility function $u_{i}(\cdot)$ for each individual, such as constant relative risk aversion (CRRA) or constant absolute risk aversion (CARA) utility function, and map each choice into an interval of coefficients of risk aversion that would rationalize this choice. To see this, note that the set of coverage options in all our domains is ordered vertically (see our discussion in Section I), so the willingness to pay for incremental coverage is monotone in risk aversion. Conditional on risk expectations, each (discrete) coverage choice can be mapped into an interval of risk aversion parameters that would rationalize the choice. Observing choices of the same individual across different domains, we can now ask whether the intervals associated with these choices overlap. If the answer is positive, it means that there exists a range of domain-general risk aversion coefficients that could generate this individual's choices across the different domains. We can then ask what fraction of individuals have a range of risk aversion coefficients that are consistent across a given set of contexts.

The conceptual approach is similar to the test proposed by Barseghyan, Prince, and Teitelbaum (2011), although our use of the $\lambda_{d}$ s parameters allow us to remain consistent with our model-free exercise and focus on the consistency of the relative risk preferences of individuals across contexts rather than on the consistency of their absolute levels. This focus likely makes the results less sensitive to modeling assumptions by removing the need to make assumptions (e.g., about the level of risk aversion or the nature of beliefs) as we did in the calibration exercise described above. While our results could speak to the broader question about the consistency of an individual's level of risk aversion across contexts (and, indeed, we mention some such results below), one would naturally worry that in order to infer the level of risk preferences, a richer domain-specific model of risk realization, expectation formation, and coverage choice would be preferred.

[^13]
## B. Implementation and Main Results

Using this framework, our empirical exercise attempts to maximize the fraction of the individuals in the sample for whom the implied intervals of risk aversion overlap across two or more domains. We allow the vector of $\lambda_{d} \mathrm{~s}$ to be free parameters and search for the set of $\lambda_{d} s$ that maximize the overlap. Our results have a simple economic interpretation. They represent the fraction of individuals for whom the choices across domains could be rationalized with a single risk aversion parameter, subject to domain-specific effects (that do not vary across individuals). The estimated $\lambda_{d} \mathrm{~s}$ (and, in particular, how far they are from 1) can then be interpreted as a measure of how many domain-specific effects are required to rationalize a single risk aversion.

Online Appendix B provides additional implementation details. To summarize, in our baseline specification we assume a CARA utility for the three domains associated with absolute (dollar) risk (health insurance, prescription drug insurance, and dental insurance) and a CRRA utility for the three domains associated with relative (to wage) risk (short- and long-term disability insurance, and 401(k) allocation). We use $\gamma \cdot w_{i}$ as a multiplicative factor that converts each individual's coefficient of relative risk aversion to absolute risk aversion, where $w_{i}$ is (in the baseline specification) individual $i$ 's observed annual income, and $\gamma$ is an additional free parameter (constant across individuals), which maps annual income to wealth. Other than for this conversion, $w_{i}$ drops out of the analysis. We search over this additional parameter $\gamma$, in addition to the vector of $\lambda_{d} \mathrm{~s}$, when we search for the maximum overlap. In the online Appendix (see Table A3) we verify that the results remain qualitatively similar when we repeat the procedure in a reverse order, by first converting absolute risk to relative risk (or vice versa), and then applying the same CRRA (or CARA) utility function to all domains.

Table 8 presents the results. Column 2 reports overlap results for all six domains. Column 3 reports overlap results for the five insurance domains. Columns 4 and 5 report results separately for, respectively, the three domains associated with absolute (dollar) risk (health, dental, and drug insurance) and the three domains associated with relative (to income) risk (short- and long-term disability insurance, and 401(k) asset allocation).

Before presenting our baseline results of the maximum fraction of individuals whose implied risk aversion intervals overlap, row 1 presents, as a starting point, the minimum fraction of individuals whose implied risk aversion intervals overlap. This can be found by taking the maximum of the fraction of individuals who choose the least risky options and the fraction of individuals who choose the most risky option; with appropriate $\lambda_{d} \mathrm{~s}$, the choices of individuals who always choose the least risky options across domains (or the choices of individuals who always choose the most risky options across domains) can always be rationalized. In our case, the minimum fraction of individuals whose implied risk aversion intervals overlap is given by the fraction of individuals who choose the least risky option in each domain. The first row indicates that, by this metric, at least 5 percent of the sample can be "mechanically" viewed as consistent across all domains. This number increases substantially, to 26 percent, once we limit the analysis to the 5 insurance domains.

Row 2 reports the maximum overlap results for our baseline sample. It indicates that, across all 6 domains, 30 percent of the individuals have implied risk aversion

Table 8-Model-Based Results

|  |  | Observations <br> (1) | All domains (2) | All insurance domains (3) | Three CARA domains (4) | Three CRRA domains (5) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Minimum overlap | 11,898 | 5 | 26 | 35 | 10 |
| 2 | Baseline specification | 11,898 | 31 | 38 | 56 | 69 |
| 3 | Restricted: $\lambda=\gamma=1$ | 11,898 | 8 | 31 | 44 | 61 |
| 4 | Restricted: flexible 1 only on $401(\mathrm{k}) ; \gamma=1$ | 11,898 | 28 | - | - | 61 |
| Results for different demographics groups: |  |  |  |  |  |  |
| 5 | Females | 2,666 | 30 | 35 | 48 | 71 |
| 6 | Males | 9,232 | 31 | 37 | 55 | 69 |
| 7 | Over 55 years old | 1,533 | 35 | 45 | 60 | 70 |
| 8 | Under 35 years old | 2,356 | 28 | 34 | 52 | 64 |
| 9 | Higher wage | 3,074 | 21 | 28 | 48 | 64 |
| 10 | Lower wage | 2,848 | 40 | 47 | 61 | 76 |
| Alternative specifications: |  |  |  |  |  |  |
| 11 | Discretize 401(k) | 11,898 | 30 | - | - | 70 |
| 12 | Restricted: $\gamma=1$ | 11,898 | 30 | 36 | - | - |
| 13 | Alternative definition of income | 11,898 | 30 | 38 | - | - |
| Alternative samples: |  |  |  |  |  |  |
| 14 | Housing subsample | 4,054 | 30 | 38 | 56 | 68 |
| 15 | House equity $<\$ 50,000$ | 1,305 | 33 | 40 | 57 | 70 |
| 16 | Housing equity \$50,000-\$150,000 | 1,453 | 32 | 40 | 57 | 69 |
| 17 | Housing equity $>$ \$ 150,000 | 1,296 | 26 | 34 | 54 | 64 |
| 18 | Maxed out 401(k) contributions | 9,394 | 30 | 37 | 55 | 69 |
| 19 | Did not max out 401(k) contributions | 2,504 | 36 | 44 | 63 | 71 |

Notes: This table reports results from the exercise described in Section III (and in additional detail in online Appendix B). Each entry in columns 2 through 5 represents our estimate of the fraction of individuals whose entire vector of choices (as given by the column header) could be rationalized given the analogous specification (as given by the row header). Specifically, column 2 reports the fraction of individuals whose estimated ranges of risk aversion in each domain overlap across all six domains; column 3 reports the fraction with overlap across the five insurance domains (that is, not including $401(\mathrm{k})$ allocation), column 4 reports the fraction with overlap across the three domains associated with absolute risk (health, drug, and dental), and column 5 reports the fraction with overlap across the three relative risk domains (short- and long-term disability, and $401(\mathrm{k})$ allocation). Each row reports a different specification. The first row reports the minimum fraction of individuals with overlap in their risk aversion ranges; this is the fraction of individuals who always choose the least risky option in each domain. The second row reports our baseline specification, as described in the text. All other rows report variants of the baseline, each with a single deviation from the baseline as described. In row 3 we constrain all six $\lambda_{d} s$ and $\gamma$ to be 1 . In row 4 we restrict $\gamma$ and five of the $\lambda_{d}$ s to be 1 but free up the $\lambda_{401(k)}$ parameter. Rows 5-10 repeat the analysis for different demographics groups, where old (young) individuals are defined as older than 55 (younger than 35), and high (low) income are defined as greater than $\$ 72,000$ (less than $\$ 36,000$ ) annual wages (approximately the top and bottom quartiles of wages). In row 11 we discretize the $401(\mathrm{k})$ asset allocation decision into three choices: invest nothing in the risk-free asset, invest all in the risk-free asset, or "in between," which we parameterize based on the average riskfree share ( 35 percent) of those in this category. In row 12 we restrict $\gamma$ to be 1 . In row 13 we define income (used to convert between each individual's coefficient of relative and absolute risk aversion) as annual income plus 5 percent of $401(\mathrm{k})$ balances, instead of as annual income as in the baseline specification. Rows 14 through 19 reports results from the baseline specification using various subsamples of our population. Specifically, in row 14 we limit the results to the sample for whom we were able to link in data on housing wealth. Rows 15 through 17 show results stratified by housing equity level. Rows 18 and 19 split the sample between those who have contributed the maximum possible amount to their $401(\mathrm{k})$ and those who have not maxed out their possible $401(\mathrm{k})$ contributions.
intervals that overlap, once we allow for the domain-specific free parameters (the $\lambda_{d} \mathrm{~s}$ ). Interestingly, the $\lambda_{d} \mathrm{~s}$ required to achieve this overlap are generally well below $1,{ }^{21}$ which is consistent with individuals underestimating event probabilities.

[^14]When we only search for overlap across the 5 insurance domains, we find it to be 38 percent, and it is much higher when we only search for overlap separately across the domains associated with absolute risk ( 56 percent) and relative risk ( 70 percent). Naturally, some of this increase in overlap is mechanical, since removing domains (weakly) increases our ability to rationalize the smaller number of choices.

As noted, our introduction of the domain-specific parameter $\lambda_{d}$ moves the spirit of the analysis away from investigating consistency in an individual's implied level of risk aversion across domains toward an analysis of the consistency in an individuals' ranking (relative to their peers) of risk aversion across domains. To investigate the importance of these domain-specific "free parameters" for the results, row 3 shows the overlap of risk aversion intervals when we restrict all $\lambda_{d} \mathrm{~s}$ (as well as $\gamma$ ) to be equal to 1 . We now find that only 5.3 percent of the sample exhibits choices that overlap in their implied risk aversion intervals. This suggests that the implied levels of risk aversion exhibited may be very different across domains, or that other effects, such as framing or probability weighting, are particularly important in these contexts and different across domains.

Consistent with the model-free correlation results, our analysis also suggests that the $401(\mathrm{k})$ domain is the most different. One way to see this is in row 4 , where we continue to restrict all five insurance-domains' $\lambda_{d} \mathrm{~s}$ (as well as $\gamma$ ) to be equal to 1 , but free up the $\lambda_{401(k)}$ parameter and search for the value that maximizes the overlap. The results illustrate the importance of having a free $\lambda_{401(k)}$ parameter, effectively allowing for very different levels of risk aversion (or beliefs) in this domain. We now obtain a maximum overlap of 28 percent, which is quite different from the overlap of 5 percent when all $6 \lambda_{d}$ s are restricted to be equal to 1 , and quite close to the unconstrained maximum overlap of 30 percent (row 2). In other words, allowing a free parameter on $\lambda_{401(k)}$ gets us almost all of the benefit of allowing all six domainspecific free parameters.
In rows $5-10$ we investigate how the results vary by demographics, in a spirit similar to our analysis in the end of Section IIB (see also Table 4). Variation across demographic groups can be driven by different risks, different domain-specific effects, or simply different consistency in choices. As Table 8 shows, the results are not dramatically different across groups. We find few gender differences, and a somewhat greater overlap for older workers relative to younger, or for lower-income employees relative to higher-income employees. This last result is somewhat different than what we found in the model-free correlations in Section II.

## C. Robustness

Somewhat parallel to our robustness analysis in Section II, we explore the robustness of our model-based results to a number of modeling choices. The results are reported in the subsequent rows of Table 8 (rows 11-19). Overall, the results are reasonably stable across alternative specifications and subsamples.

As noted at the outset, our modeling choices-particularly the introduction of the domain-specific free parameters $\lambda_{d} \mathrm{~s}$-was aimed to capture, in a somewhat reduced

[^15]form way, a wide range of potential domain-specific factors. These include not only domain-specific biases in beliefs or probability-weighting functions but other potentially domain-specific influences such as the appropriate discount rate, the planning horizon, or framing. As a result, an attractive feature of our modeling approach is that there is a more limited number of domain-specific modeling assumptions with respect to which sensitivity analysis need be evaluated.

One domain-specific factor that might contribute to the apparent difference of the $401(\mathrm{k})$ domain, however, is that the $401(\mathrm{k})$ choice is continuous, rather than discrete. Reassuringly, row 11 shows that this is unlikely to be important. In particular, we discretize the $401(\mathrm{k})$ asset allocation decision into 3 choices (with roughly 40 percent, 16 percent, and 44 percent, respectively): contribute nothing to the riskfree funds, contribute everything to the risk-free funds, and contribute in between. For people in this last group, we assign the average contribution share to the riskfree funds among people in this group, which is about 35 percent. The results are indistinguishable from the baseline.

A potentially important modeling choice is the use of CARA utility for three domains and CRRA for the other three, and the free parameter $\gamma$ that is used to convert between them. For this reason, in all rows we have shown results separately for the CARA and CRRA domains (in columns 4 and 5). We also explored the importance of the free parameter $\gamma$ in our conversion between coefficients of absolute and relative risk aversion. Row 12 shows that constraining this $\gamma$ parameter to be 1 has little effect on the results. Row 13 uses an alternative definition of $w_{i}$ when we use $\gamma \cdot w_{i}$ to convert between each individual's coefficient of relative and absolute risk aversion. Specifically, instead of defining $w_{i}$ as annual income, in row 8 we take account of the individual's $401(\mathrm{k})$ assets (and the implicit income they generate) by defining $w_{i}$ as annual income plus 5 percent of the individual's $401(\mathrm{k})$ balance. Once again this does not affect the results.

Finally, as noted in our discussion of the model-free correlation results in the previous section, an important concern with our analysis, particularly for the $401(\mathrm{k})$ asset allocation decision, is that we do not observe the individual's non-401(k) assets. We therefore subject our model results to the same two types of robustness exercises we performed in Section II (see Table 6 in particular). Specifically, we first try to proxy for (and stratify on) housing wealth. For the one-third of the sample we were able to obtain housing equity data for, row 14 shows that we estimate a maximum overlap of 29 percent, which is virtually identical to our baseline estimate of 30 percent. This overlap decreases slightly with housing equity (rows 15 to 17); for example, for all domains (column 2) the maximum overlap declines from 32 percent for those with less than $\$ 50,000$ in housing equity to 25 percent for those with more than $\$ 150,000$ in housing equity. Overall, however, the correlations for strata of individuals with similar housing wealth look very much like the results for the full sample; we interpret these results as suggesting that our estimates are not that sensitive to our lack of data on housing investments. In rows 18 and 19 we compare the overlap across the subsample of employees who do not max out their $401(\mathrm{k})$ contributions-and therefore are less likely to have outside savings-and the subsample who does. Once again, results by strata are very similar to the baseline results.

More generally, across all our various robustness analyses in rows 11 through 19 the maximum fraction of individuals whose implied risk aversion intervals overlap is
quite stable, ranging from 25 to 36 percent. The key decision quantitatively appears to be to allow for a domain-specific level of risk aversion in the $401(\mathrm{k})$ asset allocation (see rows 3 and 4); without this, the overlap falls considerably.

## IV. Conclusion

This paper investigated the extent to which individuals display a stable ranking in their risk preferences relative to their peers in making market choices over five health-related employer-provided insurance coverage decisions and their $401(\mathrm{k})$ asset allocation decisions. Our setting has the attraction that the decisions are all over purely financial risk, the choices within each domain are easily vertically rankable in terms of risk exposure, and the domains involve risks of similar and nontrivial magnitudes.

An important portion of the paper has tried to develop useful benchmarks that would allow us to gauge the magnitude of any domain-general component of preferences. The most natural and informative benchmark involved greater modeling assumptions, but the results appear to be quite robust. This in part reflects our strategy of investigating the stability of willingness to take risks relative to one's peers across different domains, rather than the extent to which risk aversion levels are stable across domains. Of course, this choice is not without costs, as it sets a lower hurdle for "domain-generality" of preferences; in a canonical domain-general model of risk aversion, an individual's level of risk aversion would presumably also be constant across contexts.

We reject the null hypothesis that there is no domain-general component to preferences and, more interestingly, we find that the extent of the domain-general component appears to be substantively important. For example, we find that one's choices in other insurance domains have about four times more predictive power for one's choice in a given insurance domain than do a rich set of demographic variables. The results from our stylized coverage choice model suggest that up to 30 percent of our sample makes choices that may be consistent across all 6 domains.

On the other hand, we also find evidence of nontrivial context specificity. In particular, we find that the riskiness of one's $401(\mathrm{k})$ asset allocation decisions has considerably less predictive power for one's insurance choices than do other insurance choices (or demographics). Results from the stylized coverage choice model also suggest that choices in the $401(\mathrm{k})$ domain are the most difficult to reconcile with any of the others. More generally, even within the insurance domains we find a higher correlation in choices that are "closer" in context (such as health insurance and drug insurance, or short-term and long-term disability insurance) than ones that are further apart (such as health insurance and disability insurance).

These findings suggest that the extent of domain generality may vary greatly across domains that are more or less "similar" to each other. It would be of great interest in future work to examine the extent of domain generality in more disparate domains than those we currently examine, which consisted of five health-related insurance domains and one retirement investment domain. Beyond the data hurdles, however, there is an inherent tension in such an exercise. The more different the domains, the more difficult it is to model and compare consumer choices in a domain-general way. We hope that the approaches outlined here will prove useful
in this regard as future work expands to consider a greater set of possibly more disparate domains.

In the meantime, our results may have some implications for current calibration exercises. Calibration work is ubiquitous in the fields of insurance, public finance, and macroeconomics. The vast majority of this work (including our own past work) attempts to calibrate models using "consensus" parameter estimates (or ranges of estimates) from the literature at large rather than estimates from more similar contexts. The results presented here may suggest that when calibrating models of economic behavior-insurance demand, savings, labor supply, and so on-one might want to consider using preference estimates taken from similar contexts.

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[^1]:    ${ }^{1}$ Naturally, there is also an important related literature in psychology. Although we do not cover it in detail, many of its features are quite similar to the economics literature we do cover. See, for example, Slovic (1962, 1972a) for earlier reviews of this literature and Weber, Blais, and Betz (2002) for a recent paper. See also Schoemaker (1993), who provides an interesting discussion of the contrasting conceptual frameworks by which economists and psychologists address the issue.

[^2]:    ${ }^{2}$ See also Chabris et al. (2008) for a similar exercise that focuses on discount rate (rather than on risk preferences).

[^3]:    ${ }^{3}$ Specifically, the prices faced by the employee are determined by which section of the company the employee is in. Alcoa has about 40 different sections ("business units"). In 2004, each section's head could select from among the offered "menus" of benefit prices set by Alcoa headquarters (see Einav, Finkelstein, and Cullen 2010 for a much more detailed description). In our sample, there are 20 different possible benefit menus that we control for in the analysis using benefit menu fixed effects. For health, drug, and dental the menus vary in the employee premiums. For short-term and long-term disability they vary in the replacement rate associated with the (fixed) premium, although the incremental coverage is almost always the same across menus. In the $401(\mathrm{k})$ domain employees face 1 of 4 different possible employer match rates ( 0,50 percent, 75 percent, or 100 percent).
    ${ }^{4}$ As is typical in datasets like ours, we do not observe medical expenditures for employees covered by an HMO or who opted out of employer-provided coverage. It is also difficult to analyze the choice of either of these two options since the prices are not known, nor is it entirely clear how to define the "good" being purchased (or to rank it in terms of risk exposure).
    ${ }^{5}$ Note that the lowest priced option for dental, short-term disability, and long-term disability is free, so that effectively there is no "opt out" option for these domains.

[^4]:    ${ }^{6}$ Employees could also choose an HMO or to opt out from health and drug coverage entirely, but those employees who chose these options are excluded from our baseline sample, for reasons described earlier.
    ${ }^{7}$ The exception is the cheapest health insurance option (option 1), which is set up as a Health Reimbursement Account (HRA) in which Alcoa contributes each year $\$ 1,250$ in tax-free money that the employee can use to fund eligible out-of-pocket health care expenses. Any balance remaining at the end of the year can be rolled over to pay for future out-of-pocket costs (as long at the employee remains enrolled in this plan). At retirement (or severance) remaining balances can be used to pay for Alcoa-sponsored retiree health care plan premiums. Since the financial tax benefits associated with an HRA vary across individuals (based on their marginal tax rates, their expectation regarding future employment with Alcoa, and so on), this introduces a nonvertical component to the health insurance choice. In the robustness analysis below we verify that results are qualitatively similar when we omit the set of individuals who chose this option, but since this set is quite large our preferred specification and analysis simply ignores the tax benefits associated with the HRA.
    ${ }^{8}$ While there is additional variation across plans in the out-of-pocket maximum and corresponding coverage details of out-of-network expenditure, individuals rarely (less than 1 percent) reach this out-of-pocket maximum, and only infrequently (less than 5 percent) use out-of-network services. The out-of-pocket maximum also allows us to abstract from tail risk, which is covered by all options similarly, up to the very similar out-of-pocket maximum across options.

[^5]:    ${ }^{9}$ These two funds are not totally risk-free, but they are marketed to employees as the least risky funds, and the standard deviation of their (monthly) returns ( 0.02 and 0.83 ) is much smaller than that of the other investment options (which range from 1.36 to 6.71 ). The results remain similar if we define only the fund with the lowest standard deviation as the risk-free allocation, which is not surprising given that the lowest standard deviation fund receives 25 percent of $401(\mathrm{k})$ asset allocations, compared to only 4 percent for the second lowest standard deviation fund. See online Appendix Table A2 for more detail.
    ${ }^{10}$ In our data, expected incremental costs (column 3) are sometimes higher than incremental premiums (column 2) suggesting (contrary to fact) that all weakly risk averse individuals will buy the safest option. This is at least partially due to our (unrealistic) simplifying assumption (for the construction of this table) that all individuals are

[^6]:    drawn from the same risk distribution. As long as an individual believes there is a sufficiently low probability of the relevant claim, he may not prefer the safest option.
    ${ }^{11}$ Given the substantial evidence on inertia in insurance choices (see Handel 2011 for a recent example) we would worry greatly about examining choices that may have been made a long time earlier (when an individual's characteristics may be different from what we currently observe) and/or at different times for different products.

[^7]:    ${ }^{12}$ We also know the default options for each domain, which are: health insurance option 4, drug insurance option 3 single coverage, and for dental, short-, and long-term disability the default is one's prior year's choice if he or she was previously employed (or no coverage, lowest option, and middle option, respectively, if they are a new hire). Of course, people in these allocations may also have chosen them actively. In our robustness analysis we explore sensitivity to excluding people who, based on their allocations, may not be active choosers.

[^8]:    ${ }^{13}$ We estimate this model using maximum likelihood. The estimation is performed using the CMP user-provided package in STATA. See http://ideas.repec.org/c/boc/bocode/s456882.html and Roodman (2009).

[^9]:    ${ }^{14}$ The results are not at all sensitive to the precise way we predict risk. For the results we report below, risk is predicted from a linear regression of realized risk (dollar spending for health, drug, and dental insurance; and days of disability for either disability insurance) on: (i) cubic splines for age, wage, and job tenure; (ii) dummy variables for gender, race, employee type (hourly or salary), union status, single coverage for health benefits, family size, and state fixed effects; and (iii) interaction variables between age and the gender, employee type, and single coverage dummy variables.
    ${ }^{15}$ This is a relatively sophisticated way of predicting medical spending as it takes into account the differential persistence of different types of medical claims (e.g., diabetes versus car accident) in addition to overall utilization, demographics, and a rich set of interactions among these measures. The particular software we use is a risk adjustment tool called DxCG Risk Solution that was developed by Verisk Health (http://www.veriskhealth.com/) and is used, e.g., by the Center for Medicare and Medicaid services in determining reimbursement rates. See Carlin and Town (2010) and Handel (2011) for other examples of academic uses of this type of predictive diagnostic software.

[^10]:    ${ }^{16}$ Table 3B does not report the Spearman rank correlations, for which it is less obvious how to add controls.

[^11]:    ${ }^{17}$ The data were provided by a real estate data vendor DataQuick, which compiles data on real estate from public records such as county recordings of ownerships and transactions, and county tax assessors. See http:// www.dataquick.com/sharedata.asp for more information. The employees for whom we were able to match housing data are unlikely to be a random sample of our employees; for example, we were unable to match employees with PO boxes as addresses, and we likely have less success for counties without electronic records.

[^12]:    ${ }^{18}$ One could also investigate correlation in choices over time without any change in benefit design. The concern about such an exercise is that inertic behavior would be driving much of the results, which is precisely the reason that made us use the new benefit design for the baseline exercise. Indeed, when we examine such correlations (looking at years 2004 and 2005), we obtain correlation coefficients of $0.85-0.9$, presumably due to inertia.

[^13]:    ${ }^{19}$ The key reason that we abstract from unobserved heterogeneity in risk is that, absent a very long panel data, accounting for unobserved heterogeneity would most likely require domain-specific parametric assumptions, which is precisely the feature we would like to avoid. For example, in our previous work we identified unobserved heterogeneity by assuming a Poisson risk for auto insurance claims (Cohen and Einav 2007) or a mortality rate that follows a Gompertz distribution (Einav, Finkelstein, and Schrimpf 2010).
    ${ }^{20}$ We note that in order to obtain reasonable risk expectations, the group definition should lead to relatively large groups, so that the tails of the distribution would be accounted for in each individual's decision problem.

[^14]:    ${ }^{21}$ Specifically, the resultant $\lambda$ 's for health and drug insurance are 0.52 and 0.55 , respectively, and for short- and long-term insurance they are 0.42 and 0.43 . Dental insurance is an exception, where the resultant $\lambda$ is 1.49 . The $\lambda$ for

[^15]:    $401(\mathrm{k})$ is much higher, but we suggest caution in interpretating this disparity due to the additional free parameter $\gamma$.

